### 6.863J Natural Language Processing Lecture 14: Features to lambdas

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## The Menu Bar

Administrivia:

- Lab 3b out yesterday due April 12

Agenda:
Features \& feature grammars
What does all this mean?

## Why: recover meaning from structure



## Design advantage

- Decouple skeleton syntactic structure from lexicon
- In fact, the syntactic structure really is a skeleton:




## Better approach to factoring linguistic knowledge

Use the superposition idea: we superimpose one set of constraints on top of another:

1. Basic skeleton tree
2. Plus the added feature constraints

- $\mathrm{S} \rightarrow \mathrm{NP}$
[Plural ?x] [Plural ?x] VP
[Plural ?x]
the guy
eats
[Plural -]
[Plural -]



## Feature Structures

Sets of feature-value pairs where:

- Features are atomic symbols
- Values are atomic symbols or feature structures
- Illustrated by feature-value matrix (or list)


## How to formalize?

- Let $F$ be a finite set of feature names, let $A$ be a set of feature values
- Let $p$ be a function from feature names to permissible feature values, that is, $p: F \rightarrow 2^{A}$
- Now we can define a word category as a triple $<F, A, p>$
- This is a partial function from feature names to feature values

- $p$ :
$p(C A T)=\{V, N, A D\}$
$p(P E R)=\{1,2,3\}$
$p(P L U)=\{+,-\}$
sleep $=\{[$ CAT V], [PLU -], [PER 1] $\}$
sleep $=\{[$ CAT V $],[$ PLU +$],[$ PER 1] $\}$
sleeps $=$ \{[CAT V], [PLU -], [PER 3]\}
Checking whether features are compatible is relatively simple here...how bad can it get?


## What sort of power do we need here?

We have [feature value] combinations so far

- This seems fairly widespread in language
- We call these atomic feature-value combinations
- Other examples:

1. In English:
person feature ( $1^{\text {st, }}, 2^{\text {nd }}, 3^{\text {rd }}$ );
Case feature (degenerate in English: nominative, object/accusative, possessive/genitive): I know hervs. I know she;
Number feature: plural/sing; definite/indefinite
Degree: comparative/superlative

## Operations on Feature Structures

- What will we need to do to these structures?
- Check the consistency of two structures
- Merge the information in two structures
- We can do both using (simple) unification
- We say that two feature structures can be unified if the component features that make them up are consistent
. [Num SG] U [Num SG] = [Num SG]
- [Num SG] U [Num PL] fails!
- [Num SG] U [Num []] = [Num SG]


## Feature unification examples

1) [ agreement [ Plural - ,
person first ] ]
(2) [ agreement [ Plural -] ,
case nominative ]

- (1) and (2) can unify, producing (3):
(3) [ agreement [ Plural - , person first],
case nominative ]
(try overlapping the graph structures corresponding to these two)


## Feature unification examples

1) [ agreement [ Plural -, person first ] ]
(2) [ agreement [ Plural -], case nominative ]
(4) [ agreement [ Plural - , person third] ]

- (2) \& (4) can unify, yielding (5):
(5) [ agreement [ Plural - , person third], case nominative ]
- BUT (1) and (4) cannot unify because their values conflict on <agreement person>



## Parsing with features - hook from kimmo to earley

- Features written in this form (in Kimmo)
- +as Suffix "[fin +, agr [tense pres, mode ind, person 2, plural -]]"
- In general:
[feature value, feature [feature val, ..., feature val]]



## Features and Earley Parsing

## Goal:

- Use feature structures to provide richer representation
- Block entry into chart of ill-formed constituents
- Changes needed to Earley
- Add feature structures to grammar rules, \& lexical entries
- Add field to states containing set representing feature structure corresponding to state of parse, e.g.
$S \rightarrow$ • NP VP, [0,0], [], Set= [Agr [plural -]]
**Add new test to Completer operation
Recall: Completer adds new states to chart by finding states whose - can be advanced (i.e., category of next constituent matches that of completed constituent)
. Now: Completer will only advance those states if their feature structures are consistent
. ** Add New test for whether to enter edge in the chart
- Now feature structures may differ, so check must be more complex
- Suppose feature structure is more specific than existing one tied to this state? Do we add it?


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|  |  | NP[agr [plural +], wh-] |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | DETlagr [plural +], wh -] | NBARIagr ?B, wh-1 |  |  |
| 'Maria' | 'coge' | 'los' | '^^piz' |  |  |
| SBAR AUXVP | V1 | - NP CONJ NP | - AP'NEAR | $\stackrel{N}{ }$ |  |
| $\frac{\text { S[fin + }+1}{\bullet \text { QBAR VP }}$ | $\frac{\mathrm{VP}[f i n}{\bullet \mathrm{Vs} A \mathrm{AP}}$ | NP[agr ? B, wh -] <br> - NAME | NBAR[wh -] <br> - FACT SEAR | NBAR[wh -] <br> $\bullet$ NEAR PP |  |
| S[fin + ] | VP[fin ? ${ }^{\text {] }}$ | NP[agr ? ${ }^{\text {, wh ? }}$ ? ${ }^{\text {] }}$ | NBAR[agr [plural -], wh-] | NBAR[wh-] |  |
| QBAR AUXVP | - V4 4 ADP | - DET NBAR | N• | - AP NBAR |  |
| S[fin ? B] $/ ? A$ <br> - SCONJ S | $\frac{\mathrm{VP}[f i n ? A]}{\bullet \mathrm{V} 5 \mathrm{PP}}$ | $\frac{\mathrm{NP}[\mathrm{wh}}{\stackrel{\mathrm{PRO}}{2} \mathrm{~A}]}$ | $\frac{\text { AP } w h+]}{\bullet \text { SPECAP }}$ | NBAR[wh -] <br> - FACT SEAR |  |
| $\frac{S[f i n+] / ? A}{\cdot N P V P}$ | $\frac{\text { VP[fin ?A] }}{\bullet \text { VहNP PP }}$ | NP[wh ? ${ }^{\text {a }}$ ] <br> - ${ }^{\text {PARAR }}$ | $\xrightarrow[\bullet N]{A P[w h-1}$ | $\xrightarrow[\bullet \text { VBAR }]{\text { VB }+1 / 7 A}$ |  |
| $\frac{S[f i n ? A]}{\bullet N P A U X V P}$ | $\frac{\text { VP[fin ?A] }}{\bullet \cdot V 7 N P ~ N P}$ | $\frac{N P[w h ~ ? A]}{\bullet N P R}$ | $\xrightarrow[\Delta]{\text { AP[wh }-1}$ | $\begin{aligned} & \text { VBAR[fin ?A] } \\ & \hline \cdot A U X V P \end{aligned}$ |  |
| S[fin? ${ }^{\text {a }}$ ] | VP[fin ? ${ }^{\text {a }}$ | NP[agr [plural +], wh -] | AP[wh -] | VBAR[fin + ] |  |
| - NP AUX | - V8SEAR | DET • NBAR | - APA | - VP |  |
| $\frac{S[f i n ? A]}{\bullet N P A U X N P}$ | $\frac{\mathrm{VP}[f i n}{\bullet \mathrm{Vg} S}$ | $\xrightarrow[\bullet N]{\text { NBAR lagr ? } B \text {, wh -] }}$ | AP[wh ?B] $]$ A <br> -AP CONJAP | AUX[fin ?A]/* <br> - MODALP |  |
| $\frac{S[f i n ? A]}{\bullet N P A U X A P}$ | $\frac{\text { VP[fin ?A] }}{\bullet \text { V10 } Q B A R}$ | NBAR[wh -] <br> - NBAR PP | $\frac{A P[w h ~ ? A]}{\bullet A D V P A}$ | AUX[fin ?A]/* <br> - MODALP HAVEP |  |
| $\frac{S[f i n ? A]}{\bullet N P A U X P P}$ | $\begin{aligned} & \text { VP[fin ?A] } \\ & \qquad \text { V11 NP QBAR } \end{aligned}$ | $\begin{aligned} & \text { NBARIwh -] } \\ & \hline \text { - AP NBAR } \end{aligned}$ | $\frac{A P[w h ~ ? A]}{\bullet A P V B A R}$ | $\begin{aligned} & \text { AUX[fin ?A] }{ }^{\star} \\ & \text { - MODALP EEP } \end{aligned}$ |  |
| $\begin{aligned} & \mathrm{S}[\mathrm{fin} ? A] / ? B \\ & \cdot N P A U X V P \end{aligned}$ | $\frac{\text { VP[fin ?A] }}{\bullet \text { V12 }}$ | NBAR[wh -] <br> - FACT SBAR | $\frac{\text { NBAR } w h-]}{\text { NBAR •PP }}$ | AUX[fin ?A]/* <br> - MODALP HAVEP BEP |  |





Feature extensions to other parts of syntax





## | Important question

- Do features have to be morecomplicated than this?
- More: hierarchically structured (feature structures) (directed acyclic graphs, DAGs, or even beyond)
- Then checking for feature compatibility amounts to unification
- Example
- [Num SG] U [Pers 3] =
- Structures are compatible if they contain no features that are incompatible
- Unification of two feature structures:
- Are the structures compatible?
. If so, return the union of all feature/value pairs
- A failed unification attempt




## Evidence that you don't need this much power

- Linguistic evidence: looks like you just check whether features are nondistinct, rather than equal or not variable matching, not variable substitution
- Full unification lets you generate unnatural languages: $a^{i}$, s.t. i a power of 2 - e.g., a, aa, aaaa, aaaaaaaa, ... why is this 'unnatural' - another (seeming) property of natural languages:
Natural languages seem to obey a constant growth property



## Constant growth

- Dfn. A language $L$ is semilinear if the number of
occurrences of each symbol in any string of $L$ is a linear combination of the occurrences of these symbols in some fixed, finite set of strings of $L$.
- Dfn. A language $L$ is constant growth if there is a constant $c_{0}$ and a finite set of constants $C$ s.t. for all $w \in L$, where $|w|>c_{0} \exists w^{\prime} \in L$ s.t. $|w|=|w|+c$, some $c \in C$
- Fact. (Parikh, 1971). Context-free languages are semilinear, and constant-growth
- Fact. (Berwick, 1983). The power of 2 language is non constant-growth


## General feature grammars - how violate these properties

- Take example from so-called "lexicalfunctional grammar" but this applies as well to any general unification grammar
- Lexical functional grammar (LFG): add checking rules to CF rules (also variant HPSG)


## Example LFG

- Basic CF rule:

S $\rightarrow$ NP VP

- Add corresponding 'feature checking'


## $\mathrm{S} \rightarrow \mathrm{NP}$

VP
( $\uparrow$ subj num) $=\downarrow \quad \uparrow=\downarrow$

- What is the interpretation of this?


## Alas, this allows non-constant growth, unnatural languages

- Can use LFG to generate power of 2 language
- Very simple to do
- $A \rightarrow A$ A
$(\uparrow f)=\downarrow \quad(\uparrow f)=\downarrow$
$A \rightarrow a$
$(\uparrow f)=1$
Lets us 'count' the number of embeddings on the right \& the left - make sure a power of 2



- If we use too powerful a formalism, it lets us write 'unnatural' grammars
- This puts burden on the person writing the grammar - which may be ok.
- However, child doesn't presumably do this (they don't get 'late days')
- We want to strive for automatic programming - ambitious goal


## Example of what we might do: text understanding via $q$-answering

athena>(top-level)
Shall I clear the database? ( $y$ or $n$ ) $y$ sem-interpret>John saw Mary in the park OK.
sem-interpret>Where did John see Mary IN THE PARK.
sem-interpret>John gave Fido to Mary OK .
sem-interpret>Who gave John Fido I DON'T KNOW sem-interpret>Who gave Mary Fido JOHN
sem-interpret >John saw Fido
OK.
sem-interpret>Who did John see FIDO AND MARY


## Interpreting in an Environment

- How about $3+5 *$ x?

- Same thing: the meaning of $x$ is found from the environment (it's 6)
- Analogies in language?



## Compiling

- Don't know x at compile time
- "Meaning" at a node is a piece of code, not a number
$5 *(x+1)-2$ is a different expression that produces equivalent code (can be converted to the previous code by optimization)


Analogies in language?


## What's meaning? What's semantics 2 ends of the spectrum

- Answer 1: whatever it is, it's mapping (translation) between representations And it depends on al/ of the text
- Answer 2: whatever it is, our answer depends on a much more focused task-specific question, viz., information extraction from texts
- Perhaps call this 'natural language engineering'
- These two ends of the spectrum have different characteristics, and difft uses
- Deep vs. Shallow?


## Answer 1: translation - from 'syntactic' rep to

 'semantic' rep, aka "Deep"- Mirrors the progamming language approach
- When is it used?
- DB Q\&A (but answer 2 can be used here...when and how?)
- Text understanding: when $a / /$ the text is relevant - voice, inference, paraphrase, important
- Intentions, beliefs, desires (non-extensional= not just sets of items)


## Answer 2 - 'Shallow' - information extraction

- What do we need to know to get this task done?
- Slot-and-filler semantics
- Limited parsing, limited predicate-arguments
- Let's see what we need to know about 'meaning' by looking at an example



## Vs. this task...

Person: Put the blue block on the pyramid System: I'm going to have to clear off the pyramid. Oops, I can't do that - a pyramid can't support the block.
OK, move it onto the red block.
OK.
What supports the blue block?
The red block.

## Key questions

- What do we have to know in order to get the job done?
- And then - how do we represent this knowledge?
- And then - how do we compute with this representation?
- (cf. David Marr's notions)

Answers defined in terms of characteristics of 'the task'

- Information extraction
- Function is communication of factual information
- Typically only parts of the text are relevant
- Typically only part of a relevant sentence is relevant
- Only predicate-argument structure needed (at a superficial level)
- No modeling of author or audience

- Context-independent meaning
- Produced directly from the syntax
- Ignores the utterance context
- Example: The ball is red
- Assigning an exact (contextual) meaning requires knowing which ball
- Logical form an intermediate step in full meaning representation
- Includes indexical terms
- Pronouns (e.g., I, you)
- Generic NP (e.g., a ball, the ball)
- Any term whose exact denotation can only be determined from context
- Logical form allows compact representation of indexical terms
- e.g. (RED1 <THE b1 BALL>) vs. (OR b1 b4 b12 b45 ...)

- To retrieve an exact meaning, we must combine LF with a particular context or event
- An event might be represented as a set of objects and relations:
\{(BALL B0005), (PERSON P86), (OWNS P86 B0005) \}


## Word Senses \& Ambiguity

- Q: Can the basic unit of LF be a word?
- A: No, words have different senses
- Example: go has many senses (to move, depart, pass, vanish, reach, extend, ...)
- Senses are organized into an ontology


## Word Senses [2]

- Ontology
- Example: Aristotle's classes
- substance (physical objects)
- quantity (e.g., numbers)
- quality (e.g., being red)
. Others: relation, place, time, position, state, action, affection
- Important: actions, events
- Provide a structure for organizing the interpretation of sentences


## Actions and Events

- We lifted the box. It was hard work.
- The pronoun it refers to the whole action (not just the box)
- We lifted the box. It was heavy.
- The pronoun it refers to the box


## Semantic Ambiguity

- Parallel to syntactic ambiguity
- Happy [cats and dogs] live on the farm
- [Happy cats] and dogs live on the farm
- Independent of syntactic structure
- Every boy loves a dog
- "all boys love a single dog"
- "foreach boy, there is a dog he loves"


## Logical Form Language

- Similar to first-order predicate calculus (FOPC)
- Constants: word senses
- Terms: constants that describe objects in the world
- Predicates: constants that describe relations or properties
- Propositions: predicate + terms



## Word Senses

- Proper names: terms


## JACK1

- Common nouns: unary predicates (DOG1 <>)
- Verbs: $n$-ary predicates (really $n$ ?) (BREAK1 <> <>)




## Quantifiers

- FOPC: only universal and existential quantifiers: $\forall, \exists$
- English: much larger range: (Is this true?)
. all, some, most, many, a few, the, ...
- Generalized Quantifiers
(<quantifier> <variable> : <restrictionproposition> <body-proposition>)


## Quantifiers <br> [2]

- Most dogs bark
(MOST1 d1:(DOG1 d1)(BARKS1 d1))
- Most barking things are dogs (MOST1 d1:(BARKS d1)(DOG1 d1))
- The dog barks
(THE x:(DOG1 x)(BARKS1 x))



