Extracting templates for Natural Scene Classification















LEARNING NATURAL SCENE CONCEPTS



Images are inherently ambiguous since they can represent different things. We apply Multiple-Instance to the natural scene classification problem.



Natural Scene Classification

• Give me more images like this



- Images are inherently ambiguous
- Be explicit about the ambiguity: an image is a bag and each instance is something that possible represents the image









DD at a point is a measure of how many instances from different bags are near that point and how far away the negative instances are.

The algorithm returns point(s) in feature space with high DD

•For a single point target concept (t) and positive and negative bags (B), we can find t by maximizing

Pr(
$$t | B_1^+, B_2^+, \bigstar, B_n^+, B_1^-, \bigstar, B_m^-$$
)

•If we assume a uniform prior, and that bags are conditionally independent given the concept, then we maximize likelihood

$$\arg \max_{t} P(t \mid B_{1}^{+}, B_{2}^{+}, \bigstar, B_{1}^{-}, \bigstar \mid t) = \arg \max_{t} \prod_{i} P(B_{i}^{+} \mid t) \prod_{i} P(B_{i}^{-} \mid t)$$
$$= \arg \max_{t} \prod_{i} P(t \mid B_{i}^{+}) \prod_{i} P(t \mid B_{i}^{-})$$

•Each bag is made up of many instances

$$P(t | B_{i}^{+}) = P(t | B_{i1}^{+}, B_{i2}^{+}, \bigstar B_{im}^{+})$$

We use the **NOISY-OR** idea: target must be caused by one of the instances, and the causations are independent

$$P(t \mid B_i^+) = 1 - \prod_j (1 - P_c(t \mid B_{ij}^+))$$

Causal probablities are approx. by a gaussian.

$$P_c(t \mid B_{ij}^+) \approx \exp(-\|t - B_{ij}^+\|^2)$$

SCALING FEATURES

• We change the weights of features in order to increase DD. To do this we maximize over both position and weights of features.

$$\max_{t,s} \prod_{i} P(t \mid B_{i}^{+}) \prod_{i} P(t \mid B_{i}^{-}) = \Re \exp(-\|t - B_{ij}^{+}\|^{2}) \Re$$
$$\|t - B_{ij}^{+}\|^{2} = \sum_{k} w_{k} (t_{k} - B_{ijk}^{+})^{2}$$

MAXIMIZING DD : max DD point will be located near a positive cluster of instances. So, if we perform gradient ascent from every positive instance, one of them will start very close to the peak.















